## How to allocate seats under d'Hondt PR

d'Hondt is a common approach to translating votes into seats under proportional representation. Below is a simple example of how the rule works in practice.

Imagine the following scenario:

- A 5 seat PR where seats are allocated according to d'Hondt
- 4 parties
- Party A: wins $40 \%$ of the vote
- Party B: 30\%
- Party C: $20.5 \%$
- Party D: $9.5 \%$

Under d'Hondt each party receives an "a" (highest average) score, equal to the party's share of the vote divided by the sum of $1 \&$ the number of seats it has already won (i.e., s+1). Whichever party has the highest "a" score receives the next seat.

So, at the start, we see that, because Party A has won $40 \%$ of the vote but has won 0 seats, it's "a" score is 40; Party B's score is 30; etc.

|  |  | Party A | Party B | Party C | Party D |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| s | $\mathrm{s}+1$ | $40.0 \%$ | $30.0 \%$ | $20.5 \%$ | $9.5 \%$ | $100.0 \%$ |
| 0 | 1 | 40 | 30 | 20.5 | 9.5 |  |

Because Party A has the highest "a" score, it gets the first seat (which I indicate by noting "(1)" next to its "a" score.

|  |  | Party A | Party B | Party C | Party D |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| s | $\mathrm{s}+1$ | $40.0 \%$ | $30.0 \%$ | $20.5 \%$ | $9.5 \%$ | $100.0 \%$ |
| 0 | 1 | $40(1)$ | 30 | 20.5 | 9.5 |  |

Remember, though, that the "a" score for any given party is equal to the vote percentage divided by the sum of $1 \&$ the number of seats the party has won. So, now that Party A has won a seat, we need to recalculate its "a" score. Since Party A has won 1 seat, its "a" score is 20 [i.e., vote/(s+1) or 40/(1+1)].

|  |  | Party A | Party B | Party C | Party D |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| s | $\mathrm{s}+1$ | $40.0 \%$ | $30.0 \%$ | $20.5 \%$ | $9.5 \%$ | $100.0 \%$ |
| 0 | 1 | $40(1)$ | 30 | 20.5 | 9.5 |  |
| 1 | 2 | 20 |  |  |  |  |

Now, look at the "a" scores: Party A's "a" score is now 20; Party B's is 30; Party C's is 20.5; Party D's is 9.5 . Of them, Party B's score is the highest, so we award the second seat to Party B (indicated by the "(2)" next to its first "a" score). Again, after awarding a seat to Party B, we need to calculate a new "a" score for Party B.

|  |  | Party A | Party B | Party C | Party D |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| s | $\mathrm{s}+1$ | $40.0 \%$ | $30.0 \%$ | $20.5 \%$ | $9.5 \%$ | $100.0 \%$ |
| 0 | 1 | $40(1)$ | $30(2)$ | 20.5 | 9.5 |  |
| 1 | 2 | 20 | 15 |  |  |  |

We continue to award seats according to whichever party has the highest "a" score until all 5 seats are allocated. Note that after we allocate Party A \& Party B their second seats, we calculate a new "a" score by dividing their vote by 3 (i.e., $s+1$ or $2+1$ ). If they won 3 seats, we would calculate their "a" score by dividing their vote by 4 (i.e., $s+1$ or $3+1$ ).

|  |  | Party A | Party B | Party C | Party D |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| s | $\mathrm{s}+1$ | $40.0 \%$ | $30.0 \%$ | $20.5 \%$ | $9.5 \%$ | $100.0 \%$ |
| 0 | 1 | $40(1)$ | $30(2)$ | $20.5(3)$ | 9.5 |  |
| 1 | 2 | $20(4)$ | $15(5)$ | 10.25 |  |  |
| 2 | 3 | 13.33 | 10 |  |  |  |
| 3 | 4 |  |  |  |  |  |

So, in the end, in this district with 5 total seats, we have the following distribution of seats:

- Party A: 2 seats
- Party B: 2 seats
- Party C: 1 seat
- Party D: 0 seats

